

$$x^{(i)} = (x_1^{(i)}, x_2^{(i)})$$

$$\{ x^{(1)}, x^{(2)}, x^{(3)}, \dots, x^{(m)} \}$$

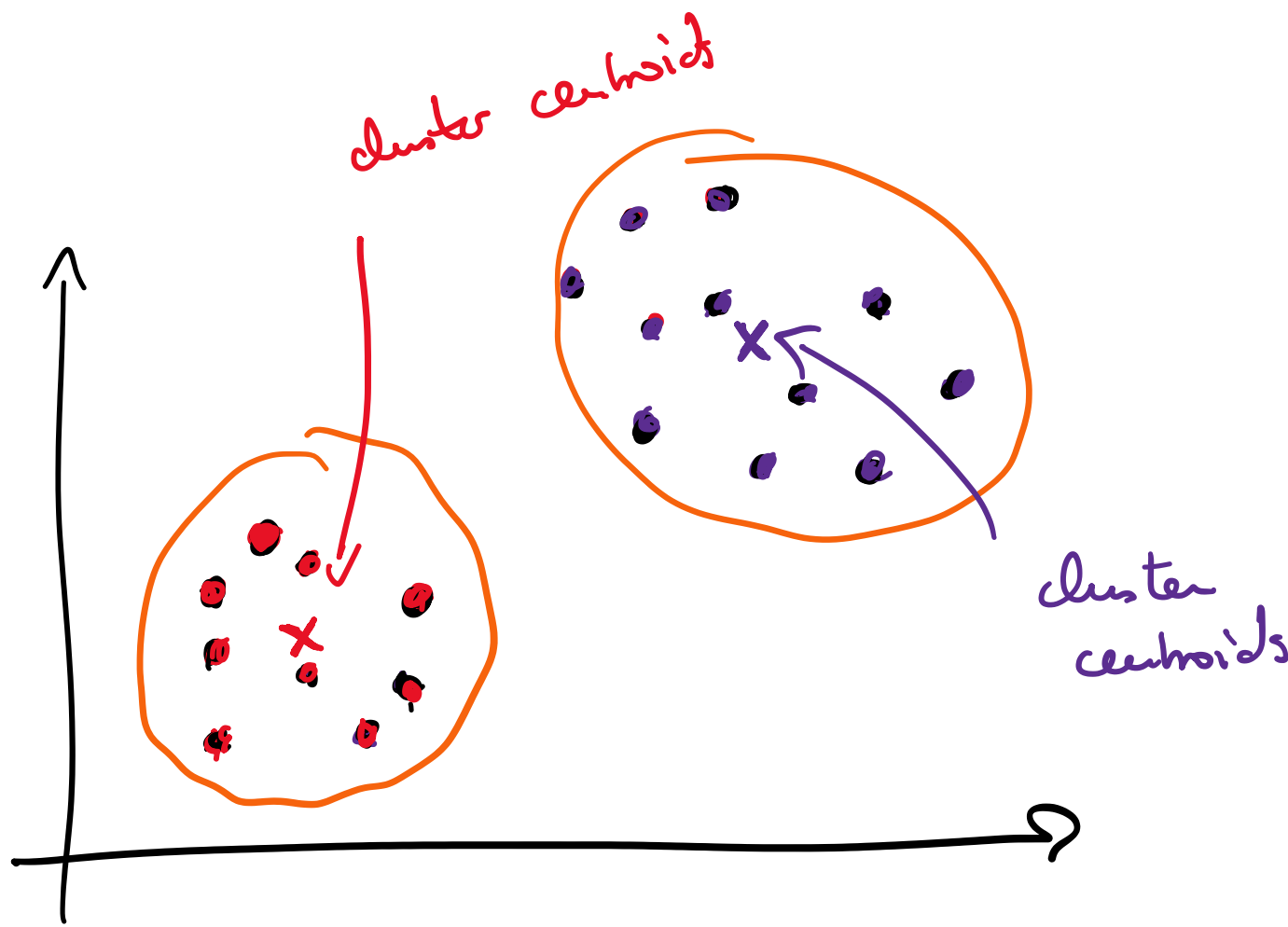
m : nb points in our dataset

$$x^{(3)} = (x_1^{(3)}, x_2^{(3)})$$

Examples of clustering applications:

- social network analysis
- market segmentation
- organize datacenters

k-means



k-means algorithm

- Inputs \rightarrow k : # of clusters
- \rightarrow Training set $\{ x^{(1)}, \dots, x^{(m)} \}$

- Random initialization
- k cluster centroids $\mu_1, \mu_2, \dots, \mu_k$

- Repeat:

Cluster assignment step

$$\left[\begin{array}{l} \text{for } i \in 1 \dots m \\ c^{(i)} := \text{index of cluster centroid} \\ \text{closest to } x^{(i)} \end{array} \right.$$

$$c^{(i)} = \underset{k}{\text{argmin}} \| x^{(i)} - \mu_k \|^2$$

Move centroid

$$\left[\begin{array}{l} \text{for } k \in 1 \dots k \\ \mu_k := \text{mean of points assigned to cluster } k \end{array} \right.$$

$$\mu_k = \text{mean} \{ x^{(i)} : c^{(i)} = k \}$$

Non-separated clusters

